

MAJOR EQUIPMENT DESIGN

DISTILLATION COLUMN

(ETHYL-BENZENE RECOVERY)

Process Design

For calculation simplification let us assume the feed entering the distillation or E-B recovery column in binary mixture.

Mol. Wt. of E-B = 106

Mol. Wt. of styrene = 104

i.e. $x_F = 0.267$; $x_D = 0.495$; $x_W = 0.049$

CALCULATION FOR q :-

The benzene toluene tower is been operated under 160 mm Hg pressure. (**from Dryden**)

So the reboiler must be operated at an equilibrium temperature. Assuming the reboiler acts as an ideal stage.

i.e. $P_T = x_1 \cdot P_1^\circ + x_2 \cdot P_2^\circ$

where x_1 and x_2 are the mole fraction of styrene and EB recovery tower.

Hence, feed temperature calculated = 95.0°C

$$\therefore, q = (H_v - H_f) / (H_v - H_l)$$

$$\lambda_i = 4.35 T_{ci}^* (1 - P_{ri})^{0.69} * \log P_{ri} / (1 - T_{ri}^{-1})$$

Where $P^* = 50$ mm Hg

Critical Point Data	Pc,kPa	Tc,°C
Styrene	3810	369
Ethyl Benzene	3701	343.05

And $T^* = 63.138^\circ\text{C}$

$\lambda_{st} = 36275$ J/mol

$\lambda_{EB} = 37860$ J/mol

Now, in gaseous state² $C_p = 138.737 \text{ kJ/kmol}^\circ\text{k}$ (styrene)

At 70°C $C_p = 151.745 \text{ kJ/kmol}^\circ\text{k}$ (EB)

—

$\lambda = 36698.19 \text{ kJ/kmol}$

—

$C_p = 142.21 \text{ kJ/kmol}^\circ\text{k}$

$q = 0.876$

So, slope of the q line = $q/(q-1)$

$$= -7.0645$$

So, from the graph reflux ratio is calculated.

Intercept: $0.13 = x_D/(R+1)$

$R_{\min} = 2.81$

Let, the reflux ratio be maintained 1.4 times the minimum,

i.e. $R = 3.93$

So, the conditions of the distillation column are specified.

ENRICHING SECT STRIPPING SECT

	Top	Bottom	Top	Bottom
Temp. liquid, °C	61.25	63.2	63.2	65.1
Temp. vapor, °C	62.0	64.6	64.6	65.2
Liq. Flow rate, kmol/hr	482.22	482.22	701.73	701.73
Vapor. Flowrate, kmol/hr	604.923	604.923	573.35	573.85
Vapor density, kg/m ³	0.251	0.248	0.248	0.247
Liquid density, kg/m ³	850.94	855.44	855.44	861.06
Avg. mol.wt. (vapor.)	104.99	104.68	104.68	104.091
Avg. mol wt. (liq.)	104.99	104.534	104.534	104.098
Mole fraction, x	0.495	0.267	0.267	0.049
Mole fraction, y	0.495	0.340	0.340	0.049
$L/G * (\rho_G/\rho_L)^{0.5}$	0.0136	0.0135	0.021	0.021

Surface tension(σ) dyne/cm	30.217	30.795	30.795	31.37
-------------------------------------	--------	--------	--------	-------

ENRICHING SECTION

Tray spacing

$$t_s = 500 \text{ mm}$$

Hole diameter

$$d_h = 10 \text{ mm.}$$

Tray thickness

$$T_t = 0.6d_h = 9 \text{ mm.}$$

Plate diameter calculation

$$(\rho_l)_{\text{bottom}} = 855.44 \text{ kg/m}^3.$$

$$(\rho_g)_{\text{bottom}} = 0.248 \text{ kg/m}^3.$$

$$(\rho_l)_{\text{top}} = 850.94 \text{ kg/m}^3.$$

$$(\rho_g)_{\text{top}} = 0.251 \text{ kg/m}^3.$$

$$(L/G) * (\rho_g / \rho_l)^{0.5} = 0.0136 \text{ (max. at top)}$$

(From Perry 7th edition fig. 14-25)

$$c_{sb} = 0.095 \text{ m/s.}$$

$$u_{nf} = c_{sb} * (\sigma/20)^{0.2} * [(\rho_l - \rho_g) / \rho_g]^{0.5}$$

$$u_{nf} = 6.0064 \text{ m/s.}$$

where $\sigma = 30.217 \text{ mN/m.}$

$$u_n = 0.82 u_{nf} = 4.925 \text{ m/s.}$$

Net area for gas flow

$$A_n = A_c - A_d = \frac{\text{Volumetric gas flow rate}}{u_n} = 14.27 \text{ m}^2.$$

Weir length = $0.75D_c$

$$A_c = 0.785 D_c^2$$

$$A_d = 0.088 D_c^2$$

Substituting and evaluating,

$$D_c = 4.5 \text{ m.}$$

$$L_w = 3.375 \text{ m.}$$

$$A_c = 15.904 \text{ m}^2.$$

$$A_d = 1.782 \text{ m}^2.$$

Active area

$$A_a = A_c - 2A_d = 12.34 \text{ m}^2.$$

$$A_{cz} = 2 (L_w \times 0.2) = 1.35 \text{ m}^2.$$

$$\alpha = 82.8^\circ \text{ and } \theta = 97.2^\circ$$

$$A_{wz} = 0.635 \text{ m}^2.$$

$$\begin{aligned} A_p &= A_a - A_{cz} - A_{wz} \\ &= 10.355 \text{ m}^2. \end{aligned}$$

Total hole area

$$(A_h/A_p) = 0.1$$

$$A_h = 1.0355 \text{ m}^2.$$

No. of holes = 13200

Weir height

$$h_w = 8 \text{ mm.}$$

Check for weeping

h_d = head loss due to dry force.

$$= k_1 + k_2 \frac{\rho_g}{\rho_l} v_h^2$$

$$k_1 = 0$$

$$k_2 = 50.8/C_v^2$$

$$A_h/A_a = 0.1 : T_t/d_h = 0.5$$

From pg. 18-5 fig. 18-14 Perry

$$c_v = 0.74 * (A_h/A_a) + \exp(0.29(T_t/D_h) - 0.56)$$
$$= 1.03$$

$$k_2 = 47.88$$

$$h_d = 75.16 \text{ mm}$$

h_{ow} = Height of liquid crest formed

$$h_{ow} = 664 \left| \frac{q}{L_w} \right|^{2/3} * F_w \text{ where } q = 16.5 \times 10^{-03} \text{ m}^3/\text{s}.$$

$$F_w = 1.01$$

$$h_{ow} = 19.31 \text{ mm}$$

$$h_\sigma = (409\sigma) / \rho_1 d_h = 1.452 \text{ mm}.$$

$$h_d + h_\sigma = 76.612 \text{ mm}.$$

$$h_w + h_{ow} = 27.32 \text{ mm}.$$

$$A_h/A_a = 0.1$$

From Perry fig. 18-11 pg. 18-7

$$h_d + h_\sigma > \text{graphical value}.$$

\therefore weeping does not occur.

Down comer flooding

Down comer back up :-

$$h_{dc} = h_t + h_w + h_{ow} + h_{da} + h_{hg}$$

h_{hg} = hydraulic gradient

h_t = total pressure drop across plate

h_{da} = head loss due to liquid flow under down comer apron

Again,

$$h_t = h_d + h_1$$

$$h_d = 128.15 \text{ mm}.$$

$$h_1 = \beta h_{ds}$$

$$\beta = 0.0825 \ln(q/Lw) - 0.269 \ln F_{vh} + 1.679$$

$$h_{ds} = h_w + h_{ow} + h_{hg}/2$$

$$h_{hg} = \frac{1000 f u_f^2 L_f}{g r_h}$$

$$r_h = \frac{h_f D_f}{h_f + D_f}$$

Again, f is a function of Reynold's number.

Where,

$$N_{reh.} = \frac{r_h u_f \rho_l}{\mu_1}$$

Where,

$$u_f = \frac{1000q}{h_1 D_f}$$

$$D_f = (D_c + L_w)/2 = 3.9375 \text{ m}$$

$$F_{ga} = U_a (\rho_g / \rho_l)^{0.5}$$

$$h_f = h_1 / \phi_t = 123.083 \text{ mm.}$$

$$\phi = \exp(-12.55 K_s^{0.91})$$

$$K_s = U_a [\rho_g / (\rho_l - \rho_g)]^{0.5}$$

$$= 0.0978 \quad [U_a = \text{gas vel. Through active area} = 5.70 \text{ m/s}]$$

$$\text{hence, } \phi = 0.2201$$

And

$$h_1 = \phi [h_w + 15330 * C * (q/\phi)^{2/3}]$$

$$\text{where, } C = 0.0327 + 0.0286 * \exp[-0.1378 h_w]$$

$$= 0.0327 + 0.0286 * \exp[-0.1378 * 8]$$

$$= 0.04219$$

$$h_1 = 27.09 \text{ mm of clear liquid}$$

$$U_f = 0.1549 \text{ m/s}$$

$$R_h = 0.11584 \text{ m}$$

$$\mu_{la} = [\sum x_i * \mu_i^{1/3}]^3$$

$$= 0.484 \text{ cp}$$

$$N_{\text{reh.}} = 31540$$

From PERRY fig 14.34(7th ed)

$$f = 0.02$$

$$L_f = 2.976 \text{ m}$$

$$h_{hg} = 1.25 \text{ mm of clear liq}$$

$$h_{ds} = 27.925 \text{ mm}$$

$$h_t = 83.08 \text{ mm clear liq}$$

$$h_{da} = 162.5 \left| \frac{q}{A_{da}} \right|$$

$$h_{ap} = h_{ds} - c$$

$$c = 14 \text{ mm.}$$

$$h_{ap} = 13 \text{ mm.}$$

$$A_{da} = L_w h_{ap} = 0.04387 \text{ m}^2$$

$$h_{da} = 23.42 \text{ mm.}$$

$$h_{dc} = 135.05 \text{ mm of clear liq}$$

$$h'_{dc} = h_{dc} / \phi_t = 270.1 \text{ mm. where } \phi_t = 0.5$$

$$h'_{dc} < t_s$$

∴ hence no flooding occur.

Column efficiency

$$E_{og} \rightarrow E_{mv} \rightarrow E_{oc}$$

$$E_{og} = 1 - \exp(-N_{og})$$

$$N_{og} = \frac{1}{\frac{1}{N_g} + \frac{\lambda}{N_l}}$$

where, $\lambda = mGm/Lm$

for gas phase transfer unit

$$N_g = k_g * a * \theta$$

For sieve plate

$$K_{ga} = 316 * D_g^{1/2} * (1030 * f + 867 * f^2) / h_l^{0.5}$$
$$= 636.9 \text{ m/s}$$

where; $D_g = 5.4 * 10^5 \text{ m/s}$

$$\theta_g = \epsilon * h_f * A_a / 1000Q$$

$$\phi = hl/hf \text{ and, } \epsilon = 1 - \phi$$

$$\therefore, \phi = 0.2201$$

and, $\epsilon = 0.7799$

$$\therefore, \theta_g = 0.01678 \text{ s}$$

$$\therefore, N_g = 10.67 \text{ m}$$

For liquid transfer unit

$$N_1 = k_1 a \theta_1$$

$$k_1 a = (3.875 \times 10^8 D_1)^{0.5} (0.40 U a \rho_g^{0.5} + 0.17)$$
$$= 1.434 \text{ m/s [Dl} = 3.08 * 10^9 \text{ m/s]}$$

Residence time

$$\theta_1 = (1 - \epsilon) * h_f * A_a / 1000q$$
$$= 20.23 \text{ s}$$

$$\therefore, N_1 = 29.017 \text{ m}$$

In Enriching section

$$\lambda_{\text{top}} = \left| \frac{mL}{G} \right|_{\text{top}}$$

m = slope of equilibrium curve at the top.

$$\lambda_{\text{top}} = 1.296$$

$$N_{\text{og}} = 6.3105$$

$$E_{\text{og}} = 1 - e^{-N_{\text{og}}}$$

$$E_{\text{og}} = 0.998$$

Murphee stage efficiency

$$E_{mv} = 1/\lambda * [\exp(\lambda * E_{og}) - 1]$$

$$= 2.041$$

The very high value of E_{mv} (over 1) suggest there is high liquid entrapment takes place under such high vacuum. While the previous calculation suggest the liquid hold up and point efficiency, under such situation for safe design we made an assumption, i.e., $E_{og} \approx E_{mv}$.

$$\therefore, E_{mv} = 0.998$$

now,

$$E_a = \frac{1}{1 + E_{mv} * [\psi / (1 - \psi)]}$$

For corresponding $L/G(\rho_g/\rho_l)^{0.5}$ and 82% flooding value

$$\psi = 0.22$$

$$\therefore, E_a = 0.7788$$

$$E_{oc} = \frac{\log \{1 + E_a (\lambda - 1)\}}{\log \lambda}$$

$$E_{oc} = 0.80$$

Ideal no. of trays

Again, by definition $E_{oc} = \frac{\text{Ideal no. of trays}}{\text{Actual no. of trays}}$

Actual no. of trays

$$\therefore, \text{the actual number of trays in the enriching section} = 7/0.8 = 9 \text{ trays}$$

Stripping section

Tray spacing

$$t_s = 500 \text{ mm}$$

Hole diameter

$$d_h = 15 \text{ mm.}$$

Tray thickness

$$T_t = 0.6d_h = 9 \text{ mm.}$$

Plate diameter

$$(\rho_l)_{\text{bottom}} = 861.06 \text{ kg/m}^3.$$

$$(\rho_g)_{\text{bottom}} = 0.247 \text{ kg/m}^3.$$

$$(\rho_l)_{\text{top}} = 855.44 \text{ kg/m}^3.$$

$$(\rho_g)_{\text{top}} = 0.248 \text{ kg/m}^3.$$

$$(L/G) * (\rho_g / \rho_l)^{0.5} = 0.021 \text{ (max. at top)}$$

From Perry 7th edition fig. 14-25

$$c_{sb} = 0.085 \text{ m/s.}$$

$$u_{nf} = c_{sb} * (\sigma/20)^{0.2} * [(\rho_l - \rho_g) / \rho_g]^{0.5}$$

$$u_{nf} = 5.44 \text{ m/s.}$$

where $\sigma = 31.27 \text{ mN/m.}$

$$u_n = 0.80 u_{nf} = 4.462 \text{ m/s.}$$

Net area for gas flow

$$A_n = A_c - A_d = \frac{\text{Volumetric gas flow rate}}{u_n} = 15.08 \text{ m}^2.$$

$$\text{Weir length} = 0.75D_c$$

$$A_c = 0.785 D_c^2$$

$$A_d = 0.088 D_c^2$$

Substituting and evaluating,

$$D_c = 4.65 \text{ m.}$$

$$L_w = 3.49 \text{ m.}$$

$$A_c = 16.98 \text{ m}^2.$$

$$A_d = 1.903 \text{ m}^2.$$

Active area

$$A_a = A_c - 2A_d = 13.174 \text{ m}^2.$$

$$A_{cz} = 2 (L_w \times 0.25) = 1.86 \text{ m}^2.$$

$$\alpha = 82.8^\circ \text{ and } \theta = 97.2^\circ$$

$$A_{wz} = 0.66 \text{ m}^2.$$

$$\begin{aligned} A_p &= A_a - A_{cz} - A_{wz} \\ &= 10.654 \text{ m}^2. \end{aligned}$$

Total hole area

$$(A_h/A_p) = 0.1$$

$$A_h = 1.0654 \text{ m}^2.$$

$$\text{No. of holes} = 13565$$

Weir height

$$h_w = 6 \text{ mm.}$$

Check for weeping

h_d = head loss due to dry force.

$$= k_1 + k_2 \frac{\rho_g}{\rho_l} v_h^2$$

$$k_1 = 0$$

$$k_2 = 50.8/C_v^2$$

$$A_h/A_a = 0.1 : T_t/d_h = 0.5$$

From pg. 18-5 fig. 18-14 Perry

$$c_v = 0.74 * (A_h/A_a) + \exp (0.29 (T_t/D_h) - 0.56)$$

$$= 1.03$$

$$k_2 = 47.85$$

$$h_d = 55.32 \text{ mm}$$

h_{ow} = Height of liquid crest formed

$$h_{ow} = 664 \left| \frac{q}{L_w} \right|^{2/3} * F_w \text{ where } q = 23.8 \times 10^{-03} \text{ m}^3/\text{s}.$$

$$F_w = 1.01$$

$$h_{ow} = 24.12 \text{ mm}$$

$$h_{\sigma} = (409\sigma) / \rho_1 d_h = 1.5 \text{ mm}.$$

$$h_d + h_{\sigma} = 56.82 \text{ mm}.$$

$$h_w + h_{ow} = 30.12 \text{ mm}.$$

$$A_h/A_a = 0.1$$

From Perry fig. 18-11 pg. 18-7

$h_d + h_{\sigma} >$ graphical value.

\therefore weeping does not occur.

Down comer flooding

Down comer back up :-

$$h_{dc} = h_t + h_w + h_{ow} + h_{da} + h_{hg}$$

h_{hg} = hydraulic gradient

h_t = total pressure drop across plate

h_{da} = head loss due to liquid flow under down comer apron

Again,

$$h_t = h_d + h_1$$

$$h_d = 55.32 \text{ mm}.$$

$$h_1 = \beta h_{ds}$$

$$\beta = 0.0825 * \ln(q/L_w) - 0.269 * \ln F_{vh} + 1.679$$

$$h_{ds} = h_w + h_{ow} + h_{hg}/2$$

$$h_{hg} = \frac{1000 f u_f^2 L_f}{g r_h}$$

$$r_h = \frac{h_f D_f}{h_f + D_f}$$

again f is a function of Reynold's number.

Where,

$$N_{\text{reh.}} = \frac{r_h u_f \rho_l}{\mu_l}$$

Where,

$$u_f = \frac{1000q}{h_l D_f}$$

$$.D_f = (D_c + L_w)/2 = 4.07 \text{ m}$$

$$F_{ga} = U_a(\rho_g)^{0.5}$$

$$h_f = h_l / \phi = 148.0 \text{ mm.}$$

$$\phi = \exp(-12.55 K_s^{0.91})$$

$$K_s = U_a[\rho_g/(\rho_l - \rho_g)]^{0.5}$$

$$= 0.0869 \quad [U_a = \text{gas vel. Through active area} = 5.70 \text{ m/s}]$$

$$\text{Hence, } \phi = 0.2567$$

And

$$h_l = \phi [h_w + 15330 * C * (q/\phi)^{2/3}]$$

$$\text{where, } C = 0.0327 + 0.0286 * \exp[-0.1378 * h_w]$$

$$= 0.0327 + 0.0286 * \exp[-0.1378 * 6]$$

$$= 0.04521$$

$$h_l = 37.38 \text{ mm of clear liquid}$$

$$U_f = 0.1539 \text{ m/s}$$

$$R_h = 0.1379 \text{ m}$$

$$\mu_l = [\sum x_i * \mu_i^{1/3}]^3$$

$$= 0.482 \text{ cp}$$

$$N_{\text{reh.}} = 37534$$

From PERRY fig 14.34(7th ed)

$$f = 0.02$$

$$L_f = 3.057 \text{ m}$$

$$h_{hg} = 1.1 \text{ mm of clear liq}$$

$$h_{ds} = 30.67 \text{ mm}$$

$$h_t = 65.72 \text{ mm clear liq}$$

$$h_{da} = 162.5 \left| \frac{q}{A_{da}} \right|$$

$$h_{ap} = 14 \text{ mm.}$$

$$A_{da} = L_w h_{ap} = 0.04886 \text{ m}^2$$

$$h_{da} = 39.2 \text{ mm.}$$

$$h_{dc} = 136.14 \text{ mm of clear liq}$$

$$h'_{dc} = h_{dc} / \phi_t = 272.28 \text{ mm. where } \phi_t = 0.5$$

$$h'_{dc} < t_s \quad \therefore \text{ hence no flooding occur.}$$

Column efficiency

$$E_{og} \rightarrow E_{mv} \rightarrow E_{oc}$$

$$E_{og} = 1 - \exp(-N_{og})$$

$$N_{og} = \frac{1}{\frac{1}{N_g} + \frac{\lambda}{N_l}}$$

$$\text{where, } \lambda = mG_m/L_m$$

for gas phase transfer unit

$$N_g = k_g \cdot a \cdot \theta$$

For sieve plate

$$K_{ga} = 316 \cdot D_g^{1/2} \cdot (1030 \cdot f + 867 \cdot f^2) / h_l^{0.5}$$

$$= 521.2 \text{ m/s}$$

$$\text{where; } D_g = 5.434 \cdot 10^{-5} \text{ m/s}$$

$$\theta_g = \epsilon \cdot h_f \cdot A_a / 1000Q$$

$$\phi = h_l / h_f \text{ and, } \epsilon = 1 - \phi$$

$$\therefore \phi = 0.2567$$

$$\therefore \theta_g = 0.02128 \text{ s}$$

$$\therefore N_g = 11.09 \text{ m}$$

For liquid transfer unit

$$N_1 = k_1 a \theta_1$$

$$K_1 a = (3.875 \times 10^8 D_1)^{0.5} (0.40 U a \rho_g^{0.5} + 0.17)$$

$$= 1.314 \text{ m/s} \quad [D_1 = 3.1624 \times 10^{-9} \text{ m/s}]$$

Residence time

$$\theta_1 = (1 - \epsilon) \cdot h_f \cdot A_a / 1000 q$$

$$= 21.02 \text{ s}$$

$$\therefore, N_1 = 27.62 \text{ m}$$

$$\lambda_{\text{top}} = \left| \frac{mL}{G} \right|_{\text{top}}$$

m = slope of equilibrium curve at the top.

$$\lambda_{\text{avg}} = 0.948$$

$$N_{\text{og}} = 6.3105$$

$$E_{\text{og}} = 1 - e^{-N_{\text{og}}}$$

$$E_{\text{og}} = 0.99$$

Murphee stage efficiency

The very high value of E_{mv} (over 1) suggest there is high liquid entrapment takes place under such high vacuum. While the previous calculation suggest the liquid hold up and point efficiency, under such situation for safe design we made an assumption, i.e., $E_{og} \approx E_{mv}$.

$$\therefore, E_{mv} = 0.99$$

now,

$$E_a = \frac{1}{1 + E_{mv} \cdot [\psi / (1 - \psi)]}$$

For corresponding $L/G(\rho_g/\rho_l)^{0.5}$ and 80% flooding value

$$\psi = 0.22$$

$$\therefore, E_a = 0.833$$

$$E_{\text{oc}} = \frac{\log\{1 + E_a(\lambda - 1)\}}{\log \lambda}$$

$$E_{oc} = 0.83$$

∴, the actual number of trays in the enriching section = $15/0.83 = 18$ trays

∴ The entire length = actual no. of trays * tray spacing
of the tower

$$\begin{aligned} &= (18.0 + 9.0) * 0.5 \text{ m} \\ &= 13.5 \text{ m} \end{aligned}$$

MINOR EQUIPMENT DESIGN

Condenser

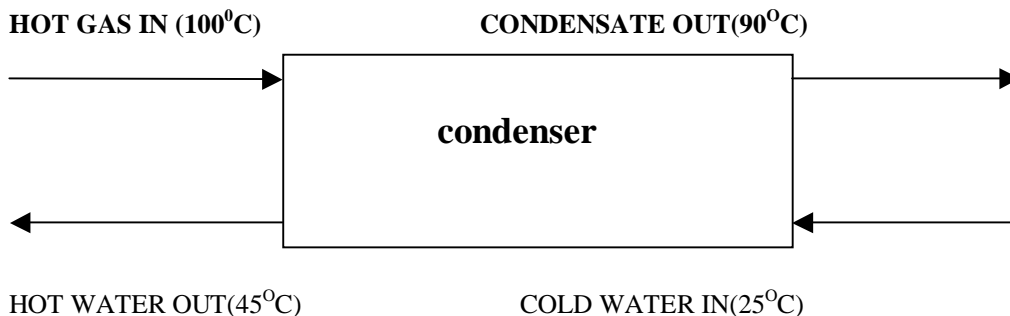
(Process Design)

The condenser to be designed over here is been placed after the reactor in the process. The stream coming out of the reactor contains steam as well as some non-condensable gases (like hydrogen) and organic vapors.

The gas out of the reactor is passed through the vaporizer where the gas temperature falls from 600 to 454°C. Even at this temperature, the load on the condenser is very high, so to make the process more economical a boiler is positioned in between the vaporizer and condenser in order to recover the waste heat from the flue gas stream.

Therefore, after the super heat recovery the stream is entering the reactor at its normal boiling point temperature. The condenser is operated under atmospheric pressure. Hence, the normal boiling point of the mixture is calculated 90°C.

To perform the given operation the load is very high for a single condenser, so to avoid overloading of the condenser two condenser of identical performance are put in series.



- Hot condensing gases enters at 100°C temperature and leaves at 90°C (I.e., effective boiling condensing gases)
- Cold fluid enters at 25°C and leaves at 40°C.

INITIAL CALCULATION:

Average latent heat of condensation of the condensing vapor = 1299.24 kJ/kg

Total mass of the condensing vapour feed into each condenser=9.27 kg/s.

Specific heat of water at 30°C =4.184 kJ/kg

$$\begin{aligned} \text{Mass of process water required} &= \\ &= 9.27 * 1299.24 / (4.184 * (45 - 25)) \text{ kg/s.} \\ &= 190.68 \text{ kg/s} \end{aligned}$$

Assuming counter current operation $\Delta T_{in} = 57.17^{\circ}\text{C}$

Assuming U heat transfer coefficient = $800 \text{ W/m}^2\text{K}$

$$A = Q / (\Delta T_{in}) = 261.65 \text{ m}^2.$$

Assuming, length of pipe is 12 ft.

Tube for the heat transfer purpose is selected:

Tube OD = $\frac{3}{4}$ " , 12 BWG

$$\therefore \text{OD} : \text{ID} = 1.41:1$$

\therefore The total no of tube is calculated= $N_t = 1204$

From Perry, for 1-2 STHE TEMA P for $\frac{3}{4}$ in. OD on 1-inch Δ^{lar} pitch

$N_t = 1378$ for Shell diameter = 1.067 m.

$$U_{corrected} = 700 \text{ W/m}^2\text{K}$$

FILM COEFFICIENT

Shell side - Condensate

The heat transfer coefficient for the shell side given as:

$$h_s = 1.51 * [k^3 * \rho^2 * g / \mu^2]^{1/3} * N_{re}^{-1/3}$$

Reynolds number (N_{Re}) = $4 * \Gamma / \mu$

Where, $\Gamma = W / (N^{1/3} * L)$

W = condensation rate

N = total no of tubes

L = length of each tubes

$$\therefore, \Gamma = 0.02062$$

Again, $\mu = 0.347 \text{ cp}$

N.B., all the properties been evaluated at the condensate average temperature.i.e, at 75.62°C .

Therefore, the Reynolds no is calculated= 237.72

Properties are evaluated at 75.62°C.

$k =$ Thermal conductivity = 0.398 w/m.K.

$\mu =$ Viscosity = 0.347 x 10⁻³ cp.

$\rho =$ Density = 892 kg/m³.

$h_s =$ 3897 W/m².K.

TUBE SIDE

$N_{re} = v \cdot \rho \cdot d / \mu$

$\rho = 994$ kg/m³

Therefore, velocity of the fluid on the tube side = 1.948 m/s

diameter of each tube = 13.51 mm

Reynold's number (N_{Re}) = 33438

$k = 0.61$ W/mK

$\mu = 0.78$ cp

$c_p = 4.184$ KJ/kgK

Prandtl number (N_{Pr}) = 5.35

For turbulent condition Dittus Bolter equation.

$$\frac{h_i d_e}{k} = 0.023 (N_{Re})^{0.8} (N_{Pr})^{0.33} (\phi)^{0.14}$$

$$\phi = \mu_l / \mu_w$$

$\therefore \phi = 1.0$, since the liquid used is water.

$$h_i = 5996 \text{ W/m}^2\text{K}$$

Calculated $U_d = 926.61 \text{ W/m}^2\text{K}$ assuming $h_d = 1892 \text{ W/m}^2\text{K}$

$$\therefore, U_d > U_{corrected}$$

\therefore Design is okay.

PRESSURE DROP CALCULATION

SHELL SIDE

Let us assume, no of baffles(B)=0

$$a_s = 0.9683 \text{ m}^2$$

$$G_s = 9.57 \text{ kg/m}^2\text{s.}$$

$$d_e = 18.29 \text{ mm}$$

$$N_{Re} = 21887$$

From Perry graph of f v/s/ N_{Re} on log log sheet

$$f = 0.2452$$

$$\Delta P_s = \left[\frac{2f(N_b + 1)D_s G_s}{g\rho_g d_e} \right] \times 0.5 = 1.369 \text{ kPa. (KERN's method)}$$

since the shell side pressure drop is less than 14 kPa , the design is satisfactory.

TUBE SIDE

$$N_{Re} = 33438$$

$$F = 0.0791 (N_{Re})^{-1/4} = 0.00584$$

$$\Delta P_1 = 4 * f * L * v^2 * \rho / 2d_i = 11.82 \text{ kPa}$$

$$\Delta P_e = 2.5 * v^2 * \rho / 2 = 4.700 \text{ kPa}$$

$$\Delta P_{Total} = 2 * (\Delta P_1 + \Delta P_e) = 33.04 \text{ kPa.}$$

which is very less than permissible value(70 kPa), therefore design is satisfies all the necessary condition.

MECHANICAL DESIGN OF
DISTILLATION COLUMN
(REF: BROWNELL & YOUNG, CH:10)

a) **SPECIFICATION:**

1. inside diameter : 4.65 m (design with the maximum dia for safety)
2. height of disengaging section: 40 cm
3. design pressure: 50 mmHg
4. (since the vessel operated under vacuum, subjected to external pressure)external pressure: 0.965 kgf/cm^2
5. design pressure: 1.033 kgf/cm^2
6. design temperature: 70°C
7. shell material: carbon steel(sp. Gr.=7.7) (IS:2002-1962, GRADE I)
8. permissible tensile stress: 950 kgf/cm^2
9. insulation material: asbestos
10. density of insulation: 2700 kg/m^3
11. insulation thickness: 50 mm
12. tray spacing: 500 mm
13. down comer plate material: stainless steel(sp. Gr.: 7.8)

SHELL THICKNESS CALCULATION:

Let the thickness of the shell= 10 mm

Using stiffener channels of C-60, 18x4, of CSA=18 in²

$$W_t = 51.9 \text{ lb/ft}$$

At a distance of 500 mm, (below each tray)

$$\therefore, D_o = 4.67 \text{ m}$$

$$L = 0.5 \text{ m}$$

$$\therefore, L/D_o = 0.11$$

$$\&, D_o/t = 467 \quad \therefore, B = 12000$$

$$\therefore, p_{\text{allowable}} = B / (14.22 * (D_o/t)), t = 5.71 \text{ mm} \approx 6 \text{ mm}$$

Which, suggest the thickness is allowable under the operating condition.

Therefore, allowing corrosion correction, thickness choose= 12 mm

HEAD:

Design for torrispherical head.

The head is under external pressure.

Let, $t_h = 10 \text{ mm}$

$$R_c = D_o = 4.67 \text{ m}$$

$$\therefore, R_c / (100 * t_h) = 4.67$$

$$\therefore, B = 4000$$

$$\therefore, p_{\text{allowable}} = B / (14.22 * R_c / t_h), \therefore, t_h = 17.15 \text{ mm} (> 10 \text{ mm})$$

Hence, 10 mm thickness is not satisfactory.

Further, iteration suggest the design thickness with a corrosion allowance : $t_h = 15 \text{ mm}$

The approximate weight of the head is calculated= 3000 kg

CHECK FOR SHELL THICKNESS:

Material specification:

Carbon steel (sp. Gr. =7.7) (IS: 2002-1962, GRADE I)

Tensile strength(R_{20})= 37 kgf/mm²

Yield stress (E_{20})= 0.55 R_{20}

Since, the vessel operated under vacuum, compressive axial stress:

$$f_{ap} = \frac{pd}{4(t_s - c)} = 120.6 \text{ kgf/cm}^2$$

i) Dead wt calculation:

Total dead load can be calculated as:

$$\Sigma W = \text{head wt} + \text{liquid wt}(X) + \text{wt of the attachment}(X)$$

head wt= 3000 kg

liquid hold up in each tray= $\rho l * (A_a * h_l + A_d * h_{dc})$

$$= 571 \text{ kg} \approx 600 \text{ kg}$$

wt of attachment per plate= 1100 kg (approx.)

$$\therefore, \Sigma W = (3000 + 3400X) \text{ kg}$$

Where, X is the distance in meter from the top tangent.

Further, the wt of the insulation and shell also exerts a compressive stress:

$$\pi * d_i * X * t * \rho_s + \frac{\pi}{4} * (D_{0,ins}^2 - d_0^2) * X * \rho_{ins} = 3126.8X \text{ kg}$$

\therefore , total compressive stress on the shell due to dead wt:

$$f_{dsx} = \sum W / (\pi * d_i * (t_s - c)) = (2.055 + 4.47X) \text{ kg/cm}^2$$

ii) Wind pressure calculation:

$$\text{Wind load: } P_w = 0.0025 V_w^2$$

Where, P_w = wind pr on the column (lb/ft²)

V_w = wind velocity in miles per hour

Let the design wind velocity = 90 mi/hr

$$P_w = 20.25 \text{ lb/ft}^2 = 98.67 \text{ kg/m}^2$$

∴ Moment at a distance X from the top tangent:

$$M_{wx} = \frac{1}{2} * P_w * X^2 * d_{eff} = 235.35X^2 \text{ kg-m}$$

Where, d_{eff} = effective outer diameter of the vessel including insulation = 4.77 m

∴, f_{wx} = tensile stress on the upwind side

$$= M_{wx} / (\pi * r_o^2 * (t_s - c)) = 0.1386 \text{ kg/cm}^2$$

STRESS BALANCE FOR THE UPWIND SIDE:

$$F_{t,max} = f_{wx} - f_{dsx} - f_{ap}$$

Where, $F_{t,max}$ = 50% of the maximum allowable stress

$$= 475 \text{ kg/cm}^2$$

There for upwind side solution gives: X = 69.1 m (>14m)

STRESS BALANCE FOR THE DOWNWIND SIDE:

$$F_{C,max} = f_{wx} + f_{dsx} + f_{ap}$$

Where, $F_{C,max}$ = maximum allowable compressive stress.

$$= 1/3 * \text{yield stress}$$

$$= 1/3 * 20.25 \text{ kgf/mm}^2$$

Therefore, the solution to the quadratic equation:

$$X = 49.27 \text{ m } (> 14\text{m})$$

N.B. the wind moment on the downwind side act as a compressive force on the tower.

Since, the thickness of 12 mm with corrosion allowance is enough to with stand the load of the tower of 14 m height, the thickness of the shell is maintained 12 mm through out the entire tower length.

SKIRT SUPPORT DESIGN:

Let, we assume skirt material: carbon steel;

IS:2002-1962, GRADE 1

Yield stress = 20.35 kgf/mm²

Allowable compressive stress: 9660.31 lb/in²

We design for cylindrical skirt support.

Moreover, it is been attached to the shell at a height of 50 cm from the bottom tangent.

Skirt height selected = 2.0 m

Where, the tangent to tangent distance = 13.5 m

Let, t = thickness of the skirt.

For, X = 13.5 m

$$F_{wb} = 24599/t$$

Further for seismic load: $f_{sb} = 8CWH/(\pi r^2 t)$

Where, for safe design, $C=0.1$

$W = \text{weight of the tower} = 20300 \text{ lb}$

&, $r = 92 \text{ in}$

$\therefore, f_{sb} = 3226/t$

Again, $f_{db} = \text{stress due to dead load at the bottom}$
 $= 35.12/t$

Therefore the force balance at the bottom of the tower gives: $f_{t,max} = (f_{wb} \text{ or } f_{sb}) - f_{db}$
(upwind side)

$f_{c,max} = (f_{wb} \text{ or } f_{sb}) + f_{db}$ (downwind side)

since, $f_{wb} > f_{sb}$, for safe design we will consider f_{wb} in consideration.

Therefore, the minimum allowable thickness calculated = $2.3 \text{ in} = 58 \text{ mm}$

SKIRT BEARING PLATE:

$\eta = E_s/E_c$

where, $E_s = \text{modulus of steel}$

$E_c = \text{modulus of concrete}$

Let, $\eta = 10$.

$\therefore, \text{let } f_s = 20000 \text{ psi}$

$f_c = 1200 \text{ psi}$ (from table: 10.1, BROWNELL & YOUNG)

1

$\therefore, k = \frac{\text{1}}{\text{1} + f_s/(\eta f_c)} = 0.375$

1 + $f_s/(\eta f_c)$

Let, width of the bearing plate, $t_3 = 1 \text{ ft}$

$$\therefore, f_{c,max} = f_{c,bolt\ circle} * \left(\frac{2kd + t_3}{2kd} \right)$$

Where, d= 184 in

$$f_{c,bolt} = 1104 \text{ psi}$$

Again (from table 10.2, BROWNELL & YOUNG)

$$\text{At } k = 0.375 \quad C_c = 1.7025$$

$$C_t = 2.2785$$

$$Z = 0.4215$$

$$J = 0.7835$$

$$\therefore, t_1 = A/\pi d; \quad A = \text{bolt area}$$

let assume the circle in which 24 bolts of 2¹/₂ in diameter.

$$\therefore, \text{area per bolt} = 3.72 \text{ sq in}$$

$$\therefore, t_1 = 0.154 \text{ in}$$

$$\therefore, F_t = f_s * t_1 * r * C_t$$

$$\Rightarrow 30700 = f_s * 0.154 * 92 * 2.2785$$

$$\Rightarrow f_s = 951 \text{ psi}$$

$$\therefore, F_c = F_t + W = 51000 \text{ lb.}$$

Again t₂ = 11.846 in

$$F_c = (t_2 + \eta t_1) * r * f_c * C_c \Rightarrow f_c = 24.324 \text{ psi}$$

$$\therefore, k = 0.2036$$

thus iterating with new values finally we get,

$$k = 0.269$$

$$C_c = 1.340$$

$$C_t = 2.571$$

$$Z = 0.450$$

$$J = 0.778$$

∴, the max compressive stress in bolt & concrete

$$f_{s,compression} = \eta * f_c = 305.8 \text{ psi}$$

Where, $f_{c,max \text{ induced}} = 34.286 \text{ psi}$

This is a safe value.

Therefore, the thickness of the bearing plate,

$$\Rightarrow t_4 = l * \sqrt{(3 * f_{c,max} / f_{allowable})} = 1 \text{ in}$$

where, $l =$ outer radius of bearing plate

MECHANICAL DESIGN OF CONDENSER

SHELL SIDE:

MATERIAL :

Carbon steel (corrosion allowance= 3 mm)

Permissible strength for carbon steel= 95 N/mm^2

Number of shell= 1

Number of tube passes= 2

Condensing fluid type: Mixed vapor

Working pressure= 1 atm

$$= 0.101 \text{ N/mm}^2$$

Design pressure= 0.11 N/mm²

Temperature of inlet= 100⁰C

Temperature of outlet= 90⁰C

Design temperature= 95⁰C

TUBE SIDE:

Number of tubes= 1378

Out side diameter= 19.05 mm

Inside diameter= 13.51 mm

Length of each pipe= 3.63 m

Pitch $\Delta^{\text{lar}} = 1''$

Feed= water

Working pressure= 1 atm

Design pressure= 0.11 N/mm²

Inlet temperature= 25⁰C

Outlet temperature= 40⁰C

SHELL SIDE DESIGN:

$$P * D_i$$

Shell thickness (t_s) = _____ + c

$$2 * f * J - P$$

P = design pressure = 1.1 kg/cm².

D = diameter of shell = 1.067 m

F = 95 N/mm².

J= joint efficiencies= 0.85

c = corrosion allowance = 3 mm.

t_s = 10 mm.

Take shell thickness as 10 mm.

Head thickness:

Assume torrispherical head.

$$T_h = \frac{P \cdot R_C \cdot W}{2 \cdot f \cdot J}$$

R_C = crown radius = D_C

Where,

$$W = \frac{1}{4} \cdot (3 + \sqrt{R_C / R_k}) = 1.77$$

R_k = knuckle radius (6% of R_C)

$$\therefore T_h = 1.28 \text{ mm}$$

Standard minimum thickness = 6 mm

Let, $T_h = 10 \text{ mm}$ (with corrosion allowance)

SINCE THERE IS NO BAFFLE IS USED TIE RODS AND SPACERS ARE NOT REQUIRED.

FLANGES:

Loose type except lap joint flange is designed.

Design pressure = 10 N/mm^2

Flange material: IS:2004-1962 class2

Bolting steel = 5% Cr Mo steel

Gasket material = asbestos composition

Shell inside diameter = 1067 mm

Shell thickness = 10 mm

Shell outside diameter = 1087 mm

Determination of gasket thickness:

$$D_0 / D_i = \sqrt{(y - p \cdot m) / (y - p(m+1))}$$

Where,

$m \rightarrow$ gasket factor

y → minimum design seating stress

Assuming gasket thickness of 10 mm (from IS:2825-1969)

$$y = 25.50 \text{ MN/m}^2$$

$$m = 2.75$$

$$\therefore, D_o = 1094 \text{ mm}$$

∴, minimum gasket width = 1 mm

a gasket width of 6 mm is selected.

∴, diameter at the location of gasket load:

$$\begin{aligned} G &= d_i + N \\ &= 1104 \text{ mm} \end{aligned}$$

Estimation of bolt load:

Load due to design pressure

$$H = (\pi * G^2 / 4) * p = 0.1053 \text{ MN}$$

Load to keep the joint tight under operation:

$$H_p = \pi * G * N * m * p = 12.5 * 10^{-3} \text{ MN}$$

Total operating load:

$$W_o = H_p + H = 0.1179 \text{ MN}$$

Load to seat under bolting condition:

$$W_g = \pi * G * b * y = 0.5306 \text{ MN}$$

∴, $W_g > W_o$, therefore W_g is the controlling load.

Calculation of minimum bolting area:

$$A_m = A_g = W_g / S_g$$

For 5% Cr Mo steel at the design pressure $S_g = 138 \text{ MN/m}^2$

$$\therefore, A_m = 3.84 * 10^{-3} \text{ m}^2$$

Calculation for optimum bolt size.

$$g_1 = g_o / (0.707) = 1.415g_o$$

Let we select the bolt size: M18*2 , R=0.027

$$\text{Now, } C = id + 2*(1.415g_o + R)$$

$$= 1156 \text{ mm} \approx 1160 \text{ mm (where, } g_o = 12.5 \text{ mm)}$$

∴, 1.16m is the bolt circle diameter

Where, 18 mm is the bolt diameter

∴, flange outside diameter is calculated:

$$A = C + \text{bolt diameter} + 0.02m$$

$$= 1.20 \text{ m (SELECTED)}$$

CHECK THE GASKERT WIDTH:

The total number of bolts on the flange= 44

And, the root area of each bolt = $1.54 * 10^{-4} \text{ m}^2$

$$A_b * S_g / \pi * G * N = 22.46 < 2y$$

Hence, the condition is satisfied.

- **FLANGE OPERATING CONDITIONS:**

A) for operating condition: $W_o = W_1 + W_2 + W_3$

$$\text{Where } W_1 = \pi * B^2 * p / 4 = 0.01021 \text{ MN}$$

$$W_2 = H - W_1 = 0.0032 \text{ MN}$$

$$W_3 = W_o - H = 0.0125 \text{ MN}$$

Total moment on flange,

$$M_o = W_1 * a_1 + W_2 * a_2 + W_3 * a_3$$

Where, $a_1 = (C-B)/2 = 0.0365$ m

$a_3 = (C-G)/2 = 0.028$ m

$a_2 = (a_1+a_3)/2 = 0.03225$ m

$\therefore, M_o = 4.18 \times 10^{-4}$ MJ

B) FOR BOLTING UP CONDITION:

(IS:2825- 1969)(EQN:4.6,P:56)

$M_g = W \cdot a_3$

Where, $W = (A_m + A_b) \cdot S_g / 2 = (5.308 \times 10^{-3}) \cdot S_g = 0.732$ Nm

$\therefore, M_g = 0.0205$ MJ

since, $M_g > M_o$, M_g is the moment under operating condition.

CALCULATION OF FLANGE THICKNESS:

$t^2 = M \cdot C_f \cdot Y / (B \cdot S_T)$

Where, $K = A/B = 1.103$

$\therefore, Y = 17$

Let, $C_F = 1$ (bolt pitch correction factor)

Again, $S_F =$ allowable stress for flange material

$= 100$ MN

$\therefore, t = 0.056$ m

Actual bolt spacing, $= \pi \cdot 1.16 / 44 = 0.082$ m

Bolt pitch correction:

$C_F = \sqrt{(B_s / (2 \cdot D + t))} = 0.944 \quad \therefore, t = 0.054$ m ≈ 60 mm

TUBE SHEET THICKNESS CALCULATION:

$$\text{Tube sheet thickness (} t \text{)} = FG*(0.25*p/f)^{0.5}$$

$$= 0.0188 \text{ m}$$

∴, considering corrosion allowance= (t) = 21 mm

CHANNEL DESIGN

Channel thickness:

$$T_c = G_C (k*p/f)^{0.5} = 21 \text{ mm (k= 0.3 for ring type gasket)}$$

Covers are assumed flat and welded to channel.

SUPPORT DESIGN

Material low carbon steel

Saddle type of support is designed.

Length= 3.63 m

Vessel diameter= 1.067 m

Knuckle radius= 64.02 mm

$$\text{Total head depth} = \sqrt{(D_o * r_0 / 2)}$$

$$= 185 \text{ mm}$$

$$\therefore, A = 0.5 * R = 267 \text{ mm}$$

Maximum weight of shell, attachments and contents = 25543 kg.

$$A = 0.267 \text{ m}$$

$$L = 3.36 \text{ m}$$

$$H = 0$$

$$R = 0.5335 \text{ m}$$

$$Q = W/2 * (L + 4/3 * H) = 49510.84 \text{ kg-m.}$$

Longitudinal bending moment;

$$M_1 = Q * A [1 - (1 - A/L + (R^2 - H^2)/2A * L) / (1 + 4 * H/3L)]$$

$$= 152.62 \text{ kg-m}$$

Bending moment at the centre of the tubes:

$$M_2 = QL/4[(1+2(R^2-H^2)/L^2)/(1+4H/3L)- 4H/L]$$
$$= 345.12 \text{ kg-m}$$

$$f_1 = \frac{M_1}{\pi R^2 t} = 1.7068 \text{ kg/cm}^2.$$

$$R = 0.5335 \text{ m}$$

$$t = 0.010 \text{ m}$$

$$f_2 = \frac{M_2}{\pi R^2 t} = 0.3849 \text{ kg/cm}^2.$$

$$f_{\max} = 950 \text{ kg/cm}^2.$$

$$f_p = (pD)/4t = 293.4 \text{ kg/cm}^2.$$

All these values are less than 950.

∴ Design is satisfactory.